# DATR: <sup>A</sup> Language for Lexical Knowledge Representation

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Much recent research on the design of natural language lexicons has made use of nonmonotonic inheritance networks as originally developed for general knowledge representation purposes in Artificial Intelligence. DATR is a simple, spartan language for defining



Table 1

Path/value pairs for present participle of love

elements.

This problem is overcome in DATR in the following way: such exhaustively listed path/value statements are indeed present in a description, but typically only implicitly present. Their presence is <sup>a</sup> logical consequence of <sup>a</sup> second set of statements, which have the concise, generalisation-capturing properties we expect. To make the distinction sharp, we call the first type of statement extensional and the second type definitional. Syntactically, the distinction is made with the equality operator: for extensional statements (as above), we use  $=$ , while for definitional statements we use  $==$ . And, although our first example of DATR consisted entirely of extensional statements, almost all the remaining examples will be definitional. The semantics of the DATR language binds the two together in a declarative fashion, allowing us to concentrate on concise definitions of the network structure from which the extensional "results" can be read off.

Our first step towards a more concise account of Word1 and Word2 is simply to change the extensional statements to definitional ones:

#### $Word1$ : . . <u>. . . .</u> .

```
<syn cat> == verb
<syn type> == main
<syn form> == present participle
<sub>mor</sub> form> == 1ove ing.</sub>
<syn cat> == verb
<syn type> == main
<syn form> == passive participle
<mor form> == love ed.
```
This is possible because DATR respects the unsurprising condition that if at some node a value is specifically defined for a path with a definitional statement, then the corresponding extensional statement also holds. So the statements we previously made concerning Word1 and Word2 remain true, but now only implicitly true.

Although this change does not itself make the description more concise, it allows us to introduce other ways of describing values in denitional statements, in addition to simply specifying them. Such value descriptors will include inheritance specifications which allow us to gather together the properties that Word1 and Word2 have solely by virtue of being verbs. We start by introducing a VERB node:

#### VERB:

```
<syn cat> == verb
<syn type> == main.
```
and then redefine Word1 and Word2 to inherit their verb properties from it. A direct encoding for this is as follows:

```
Word1:
    <syn cat> == VERB:<syn cat>
    <syn type> == VERB:<syn type>
    <syn form> == present participle
    <sub>mon</sub> form> == love ing.</sub>
Mord2:
    <syn cat> == VERB:<syn cat>
    <syn type> == VERB:<syn type>
    <syn form> == passive participle
    <mor form> == love ed.
```
In these revised definitions the right hand side of the  $\langle \text{syn cat}\rangle$  statement is not a direct value specification, but instead an inheritance descriptor. This is the simplest form of

DATR inheritance, it just specifies a new node and path from which to obtain the required value. It can be glossed roughly as "the value associated with  $\lt$ syn cat  $>$  at Word1 is the same as the value associated with  $\langle \text{syn cat} \rangle$  at VERB". Thus from VERB:  $\langle \text{syn cat} \rangle$ == verb it now follows that wordf:<syn cat> == verb\*.

However, this modication to our analysis seems to make it less rather than more concise. It can be improved in two ways. The first is really just a syntactic trick: if the path on the right hand side is the same as the path on the

statements concerning Word1. If we add these back in, the complete definition looks like this:

Word1:  $<$ syn> == VERB  $\langle \text{sym form} \rangle$  == present

root>. This descriptor is equivalent to Word1:<mor root> and, since <mor root> is not defined at Word1, the empty path definition applies, causing it to inherit from Love: < mor root >, and thereby return the expected value, love. Notice here that each element of a value can be defined entirely independently of the others; for  $<$ mor form> we now have an inheritance descriptor for the

This specifies inheritance of  $\langle \text{mor root}\rangle$  from the query node, which in this case is Word1. The path  $\langle \text{mor} \text{root} \rangle$  is not defined at Word1 but inherits the value love from Love. Finally, the definition of  $<$ mor form> at VERB adds an explicit ing, resulting in a value of love ing for Word1: < mor form>. However, had we begun evaluation at, say, a daughter of the lexeme Eat, we would have been directed from VERB: < mor form> back to the original daughter of Eat to determine its <mor root>, which would be inherited from Eat itself. So we would have ended up with the value eat ing.

The analysis is now almost the way we would like it to be. However, by moving  $\leq m$ or form> from Word1 to VERB, we have introduced a new problem: we have frozen in the present participle as the (default) value of  $\langle \text{mon } \text{form} \rangle$  for all verbs. Clearly, if we want

#### <mor form> == "<mor "<syn form>">".

This statement employs <sup>a</sup> DATR construct, the evaluable path, which we have not encountered before. The right hand side consists of a (global) path specification, one of whose component attributes is itself <sup>a</sup> descriptor, to be evaluated before the outer path can be. The effect of the above statement is to say that  $\langle \text{mor form} \rangle$  globally inherits from the path given by the atom mor followed by the global value of  $\langle \text{syn} \rangle$ form>. For Word1, <syn form> is present participle, so <mor form> inherits from  $<$ mor present participle>. But for Word2,  $<$ mor form> inherits from  $<$ mor passive participle>. Effectively, the  $\langle \text{sym form} \rangle$  is being used as a parameter to control which specific form should be considered the morphological form. Evaluable paths may themselves be global (as in our example) or local and their evaluable components may also involve global or local reference.

Our analysis now looks like this:

```
VERB:
    <syn cat> == verb
    <syn type> == main
    <mor form> == "<mor "<syn form>">"
    <mor past> == "<mor root>" ed
    <mor passive> == "<mor past>"
    <mor present> == "<mor root>"
    <mor present participle> == "<mor root>" ing
    <mor present tense sing three> == "<mor root>" s.
Love:
    <> == VERB
     <mor root> == love.
Word1:
    \leftrightarrow == Love
    <syn form> == present participle.
Word2:
    \left\langle \right\rangle == Love
     <syn form> == passive participle.
```
The entire analysis is somewhat larger than the original, but it encodes all the past and present tense forms as well as all three participial forms. More importantly, almost all the information is in the **verb** node and is common to many verb lexemes . Indeed, the other nodes are as small as they reasonably could be: Love simply states that it is <sup>a</sup> verb with morphological root love and Word1 simply states that it is a present participle instance of Love.

Of course, Love is a completely regular verb. But DATR\*r0ve v.7 5(E5(man)-)]TJ -R409 0.06.12 Td (global)Tj

DATR

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```
<mor present tense plur> == are
<mor past tense sing one> == <mor past tense sing three>
<mor past tense sing three> == was
<mor past tense plur> == were.
```
In this section we have moved from simple attribute/value listings to <sup>a</sup> compact, generalisation-capturing representation for a fragment of English verbal morphology. In so doing, we have seen examples of most of the important ingredients of DATR: local and global descriptors, definition by default, and evaluable paths.

### 3. The

are defined recursively, and come in seven kinds. The simplest descriptor is just an atom or variable:

atom1

\$var1

Then there are three kinds of **local inheritance descriptor**: a node, an (evaluable) path, and a node/path pair. Nodes are primitive tokens, paths are descriptor sequences (dened below) enclosed in angle brackets and node/path pairs consist of a node and a path separated by a colon:

```
Node1
<desc1 desc2 desc3 ...>
Node1:<desc1 desc2 desc3 ...>
```
Finally there are three kinds of **global inheritance descriptor**, which are quoted variants of the three local types just described:

```
"Node1"
"<desc1 desc2 desc3 ...>"
"Node1:<desc1 desc2 desc3 ...>"
```
A descriptor sequence is a (possibly empty) sequence of descriptors. The recursive definition of evaluable paths in terms of descriptor sequences allows arbitrarily complex expressions to be constructed, such  $as^{15}$ :

"Node1:<"<atom1>" Node2:<atom2>>"

```
"<"<<Node1:<atom1 atom2> atom3>" Node2 "<atom4 atom5>" <> >">"
```
But the value sequences determined by such definitions are **flat**: they have no structure beyond the simple sequence and in particular do not reflect the structure of the descriptors that define them.

We shall sometimes refer to descriptor sequences containing only atoms as simple values, and similarly (unquoted) path expressions containing only atoms as simple paths.

3.1.3 Sentences. DATR sentences represent the statements which make up a description. As we have already seen, there are two basic statement types, extensional and definitional, and these correspond directly to simple extensional and definitional sentences, which are made up from the components introduced in the preceding section.

Simple extensional sentences take the form

Node:Path <sup>=</sup> Ext

where Node is <sup>a</sup> node, Path is <sup>a</sup> simple path, and Ext is <sup>a</sup> simple value. Extensional sentences derivable from the examples given in Section 2 include:

```
Do:<mor past participle> = done.
```

```
Mow: \text{Mor} past tense sing one> = mow ed.
Love:\text{Cmoer} present tense sing three> = love s.
```
Simple definitional sentences take the form

Node:Path == Def.

where Node and Path are as above and Def is an arbitrary descriptor sequence. Definitional sentences already seen in Section 2 include:

 $Do:$   $\forall$ mor past> == did.

VERB:<mor form> == "<mor "<syn form>">". EN\_VERB:<mor past participle> == "<mor root>" en.

<sup>15</sup> A descriptor containing an evaluable path may include nested descriptors which are either local or global. Our use of the local/global terminology always refers to the outermost descriptor of an expression.

Each of these sentences corresponds directly to a DATR statement. However we extend the notion of <sup>a</sup> sentence to include an abbreviatory

There is <sup>a</sup> natural procedural interpretation of this kind of inheritance, in which the value associated with the definitional expression is determined by "following" the inheritance specication and looking for the value at the new site. So given <sup>a</sup> DATR description (i.e., a set of definitional statements) and an initial node/path query, we look for the node and path as the left hand side of a definitional statement. If the definitional statement for this pair provides a local descriptor, then we follow it, by changing one or both of the node or path, and then repeat the process with the resulting node/path pair. We continue until some node/path pair species an explicit value. In the case of multiple expressions on the right hand side of <sup>a</sup> statement, we pursue each of them entirely independently of the others. This operation is local in the sense that each step is carried out without reference to any context wider than the immediate definitional statement at hand.

Declaratively speaking, local descriptors simply express equality constraints between definitional values for node/path pairs. The statement:

#### Node1:Path1 == Node2:Path2.

can be read approximately as "if the value for Node2: Path2 is defined, then the value of Node1: Path1 is defined and equal to it". There are several points to notice here. First, if Node2:Path2 is not defined, then Node1:Path1 is unconstrained, so this is a weak directional equality constraint. However, in practice this has no useful consequences, due to interactions with the default mechanism  $-$  see Section 5.1 below. Second, "defined" here means "defined by a definitional statement", that is a "==" statement: local inheritance operates entirely with definitional statements, implicitly introducing new ones for Node1:Path1 on the basis of those dened for Node2:Path2. Finally, as we shall discuss

For example, when a global path is specified, it effectively "returns control" to the current global node (often the original query node) but with the newly given path. Thus in Section 2, above, we saw that the node VERB defines the default morphology of present forms using global inheritance from the path for the morphological root:

VERB:<mor present> == "<mor root>".

The node from which inheritance occurs is that stored in the global context. So <sup>a</sup> query of Love:<mor present> will result in inheritance from Love:<mor root> (via VERB:<mor present>), while a query of Do:<mor present> will inherit from Do:<mor root $>$ .

Similarly, <sup>a</sup> quoted node form accesses the globally stored path value, as in the following example:

```
Declension1:
    <vocative> == -a
    <accusative> == -am.
Declension2:
    \langlevocative> == "Declension1"
    <accusative> == -um.
Declension3:
    <vocative> == -e
    <accusative> == Declension2:<vocative>.
```
Here, the value of  $Declension3: <$ accusative $>$  inherits from Declension2:  $<$ vocative $>$ and then from Declension1: < accusative>, using the global path (in this case the query path), rather than the local path  $({\bf \langle vocative>})$  to fill out the specification. So the resulting value is -am and not -a as it would have been if the descriptor in Declension2 had been local rather than global.

We observed above that when inheritance through <sup>a</sup> global descriptor occurs, the global context is altered to reflect the new node/path pair. Thus after Love:  $\leq m \infty$ present> has inherited through "VERB:<mor root>", the global path will be <mor root> rather than <mor present>. When we consider quoted node/path pairs, it turns out that this is the only property that makes them useful. Since a quoted node/path pair completely respecifies both node and path, its immediate inheritance characteristics are the same as the unquoted node/path pair. However, because it also alters the global context, its effect on any **subsequent** global descriptors (in the evaluation of the same query) will be different:

```
Declension1:
    <vocative> == "<nominative>"
    <nominative> == -a.
Declension2:
    <vocative> == Declension1
    <nominative> == -u.
Declension3:
    <nominative> == -i
    <accusative> == "Declension2:<vocative>".
```
In this example, the value of Declension3:  $\langle$  accusative> inherits from Declension2:  $\langle$  vocative $\rangle$  and then from Declension1: $\langle$  vocative $\rangle$  and then from Declension2:  $\leq$ nominative $>$  (because the global node has changed from Declension3 to Declension2) giving a value of -u and not -i as it would have been if the descriptor in Declension3 had been local rather than global.

There are <sup>a</sup> number of ways of understanding this global inheritance mechanism. The description we have given above amounts to a "global memory" model, in which <sup>a</sup> DATR query evaluator is a machine equipped with two memories: one containing the

current local node and path, and another containing the current global node and path.

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The declarative interpretation of global inheritance suggests an alternative procedural characterisation to the one already discussed, which we outline as follows. Starting

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#### 4. DATR techniques

The DATR fragments introduced above illustrate the basic descriptive resources provided by the language. We now present some further examples, showing how these basic components combine to provide a powerful representation tool.

### 4.1 Case constructs and parameters

Evaluable paths allow the value of one path to be determined by the value of another. More generally, the values of an arbitrary number of descriptors can be invoked as parameters in an evaluable path and thus determine the value of a particular node/path pair. The familiar case construct of procedural programming languages is readily implemented, as the following example describing English plural suffixes shows:

```
NOUN:
     <plural> == <case of "<origin>">
     \langle case of latin masculine\rangle == -i
     <case of latin neuter> == -a
     \langle \text{case of} \rangle == -s<origin> == norman.
Cat:
     \left\langle \right\rangle == NOUN.
Datum:
     \left\langle \right\rangle == NOUN
     <origin> == latin neuter.
Alumnus:
     \left\langle \right\rangle == NOUN
     <origin> == latin masculine.
```
Here the value of the  $\langle$ origin $\rangle$  attribute of a noun (denoting its etymological source) is used to determine the value of its  $\langle$  plural $\rangle$ 

we saw in Section 2 above, the passive participle form of sew is fully described by the node definition for Word3.

Word3:

<> == Sew

```
<syn form> == passive participle.
```
For finite forms, we could use a similar technique. From this,

Word4:

```
\left\langle \right\rangle == Sew
<syn form> == present sing third.
```
we would want to be able to infer this:

 $Mord4$ :

```
<mor form> = sew s
```
However, the components of  $\langle \text{sym form}\rangle$ , present, sing, third are themselves values of features we probably want to represent independently. One way to achieve this is to define a value for  $\langle \text{sym form} \rangle$  which is itself parameterised from the values of these other features. And the appropriate place to do this is in the VERB node, thus:

```
<syn form> == "<syn tense>" "<syn number>" "<syn person>".
```
This says that the default value for the syntactic form of a verb is a finite form, but exactly which finite form depends on the settings of three other paths,  $\langle \text{syn tense}\rangle$ ,  $\langle$ syn number $>$  and  $\langle$ syn person $>$ . So now we can express Word4 as:

 $Word4$ :

```
\left\langle \right\rangle == Sew
<syn tense> == present
<syn number> == sing
<syn person> == third.
```
This approach has the advantage that the attribute ordering used in the  $\langle \text{mor.} \ldots \rangle$  paths is handled internally: the leaf nodes need not know or care about it<sup>23</sup>.

#### 4.2 Boolean logic

We can, if we wish, use parameters in evaluable paths that resolve to true or false. We can then define standard truth tables over DATR paths:

Boolean:

```
<> == false
<or> == true
<if> == true
<not false> == true
<and true true> == true
<if true false> == false
<or false false> == false.
```
This node denes the standard truth tables for all the familiar operators and connectives of the propositional calculus expressed in Polish rather than inity order<sup>--</sup>. Notice, in particular, how the DATR default

that is not so. Consider a hypothetical language in which personal proper names have one of two genders, masculine or feminine. Instead of the gender being wholly determined by the sex of the referent, the gender is determined partly by sex and partly by the phonology. Examples of this general type are quite common in the world's languages<sup>25</sup>. In our hypothetical example, the proper name will have feminine gender either if it ends in a consonant and denotes a female or if it ends in a stop consonant but does not denote a female. We can encode this situation in DATR as follows<sup>26</sup>:

```
Personal_name:
    <> == Boolean
    <ends_in_consonant> == "<ends_in_stop>"
    <gender_is_feminine> ==
              <or <and "<female_referent>" "<ends_in_consonant>">
                  <and <not "<female_referent>"> "<ends_in_stop>">>.
```
We can then list some example lexical entries for personal proper names<sup>27</sup>:

```
Taruz:
    <> == Personal_name
    <female_referent> == true
    <ends_in_consonant> == true.
Turat:
    <> == Personal_name
    <female_referent> == true
    <ends_in_stop> == true.
Tarud:
    <> == Personal_name
    <ends_in_stop> == true.
Turas:
    <> == Personal_name
    <ends_in_consonant> == true.
```
Note that both Turas and Tarud turn out not to denote females, given the general false default in Boolean<sup>28</sup>. The genders of all four names can now be obtained as theorems:

```
Taruz: <gender_is_feminine> = true.
Turat: <gender_is_feminine> = true.
Tarud: <gender_is_feminine> = true.
Turas: <gender_is_feminine> = false.
```
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<sup>25</sup> For example, Fraser & Corbett (1995) use DATR to capture a range of phonology/morphology/semantics interdependencies in Russian. And Brown & Hippisley (1994) do the same for a Russian segmental phonology/prosody/morphology interdependency. But one can find such interdependencies in English also: see Ostler & Atkins (1992: 96-98).

<sup>26</sup> Note that complex expressions require path embedding. Thus, for example, the well-formed net same for a russian segmental phonology/prosoty/morphoogy interdependency. But one can<br>find such interdependencies in English also: see Ostler & Atkins (1992: 96-98).<br>Note that complex expressions require path embedding

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#### 4.3 Finite state transduction

Perhaps surprisingly, DATR turns out to be an excellent language for dening nite state transducers (FSTs)<sup>2</sup> A

```
\langle1 o v e\rangle= 1 o v e\langlelove + s> = love s
\langle 1 \circ v e + e d \rangle = 1 \circ v e d<l o v e + e r> = l o v e r
\langle 1 \circ v e + 1 y \rangle = lovely
\langlelove + in g> = loving
\langlel o v e + a b l e\rangle = l o v a b l e.
```
#### 4.4 Representing lists

DATR's foundation in path/value specifications means that many of the representational idioms of unication formalisms transfer fairly directly. <sup>A</sup> good example is the use of first and rest attributes to represent list-structured features, such as syntactic arguments and subcategorised complements. The following denitions could be used to extend our verb fragment by introducing the path  $\langle \text{syn args}\rangle$ , which determines a list of syntactic argument specications.

NIL:

```
\leftrightarrow == nil
    <rest> == UNDEF
    <first> == UNDEF.
VERB:
    <syn cat> == verb
    <syn args first syn cat> == np
    <syn args first syn case> == nominative
    <syn args rest> == NIL:<>.
```
Here extensions of  $\langle \text{syn} \text{ args first} \rangle$  specify properties of the first syntactic argument, while extensions of  $\langle \text{syn args rest} \rangle$  specify the others (as a first/rest list). UNDEF is the name of a node that is not defined in the fragment, thus ensuring that  $\langle \text{syn args} \rangle$ rest first>,  $\langle$ syn args rest rest>, and so forth are all undefined. The fragment above provides a default specification for  $\langle \text{syn args}\rangle$  for verbs consisting of just one argument, the subject NP. Subclasses of verb may, of course, override any part of this default; for instance, transitive verbs add a second syntactic argument for their direct ob ject:

#### TR\_VERB:

```
\left\langle \right\rangle == VERB
<syn args rest first syn cat> == np
<syn args rest first syn case> == accusative
<syn args rest rest> == NIL:<>.
```
The description can be improved by using <sup>a</sup> separate node, NP ARG, to represent the (default) properties of noun-phrase arguments:

NP\_ARG:

```
<first syn cat> == np
    <first syn case> == accusative
    <rest> == NIL:<>.
VERB:
    <syn cat> == v
    <syn args> == NP_ARG:<>
    <syn args first syn case> == nominative.
TR_VERB:
    \left\langle \right\rangle == VERB
    <syn args rest> == NP_ARG:<>.
```
TR VERB accepts the NP ARG default unconditionally for the direct ob ject argument, but VERB overrides the default case for its subject argument. The effect of the empty path  $(<)$  specification in the NP ARG inheritances is to "strip off" the leading subpath from the path whose value is inherited. The default mechanism adds the same path extension to both sides, giving rise to statements such as the following:

VERB:<syn args first syn cat> == NP\_ARG:<first syn cat>.

TR\_VERB:<syn args rest first syn cat> == NP\_ARG:<first syn cat>.

TR\_VERB:<syn args rest first syn case> == NP\_ARG:<first syn case>.

Three element argument lists, such as that needed for ditransitive verbs, are constructed in the obvious way (where PP ARG is assumed to be like NP ARG but for prepositionalphrase complements):

DI\_VERB:

<> == TR\_VERB <syn args rest rest> == PP\_ARG:<>.

#### 4.5 Lexical rules

A lexical representation language needs to be able to express the relations that are now widely thought to be in the domain of lexical rules<sup>32</sup>. Canonically, such rules deal with the phenomena that used to be described by the \cyclic rules" of late 1960s transformational grammar. Characteristically, they pertain to rather specific classes of lexical items  $(e.g.,)$ transitive verbs, or tensed auxiliary verbs) and they are subject to exceptions of various kinds<sup>--</sup>. It is these characteristics that have led many linguists to consign them to the lexicon. They usually involve a difference in argument structure and this is sometimes accompanied by a morphological difference. The combination of evaluable paths with a standard encoding of argument lists make it rather easy to denne lexical rules in DATR34.

Here, by way of illustration, is a partial analysis of verbs that implements a lexical rule for syntax of the (agentless) passive construction<sup>35</sup>:

VERB:

 $<sub>mor</sub> past> == "<sub>mor</sub> root" skyn _A"$ </sub>

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path. Instead, DATR allows their relatedness of meaning to be captured by using the definition of one in the definition of another.

<sup>A</sup> very few words in English have alternative morphological forms for the same syntactic specification. An example noted by Fraser & Hudson  $(1990, 62)$  is the plural of  $\emph{loop}$  which, for many English speakers, can appear as both  $\emph{noise}$  and  $\emph{noise}$  . Dat $\emph{\textbf{K}}$ does not permit <sup>a</sup> theorem set such as the following to be derived from <sup>a</sup> consistent description:

```
Word7:
    <syn number> = plural
    <mor form> = hoof s
    <mor form> = hoove s.
```
But it is quite straightforward to dene <sup>a</sup> description that will lead to the following theorem set:

```
Word7:
    <syn number> = plural
    <mor form> = hoof s
```

```
<mor form alternant> = hoove s.
```
Or something like this:

Word7:

```
<syn number> = plural
<mor forms> = hoof s | hoove s .
```
Or this:

```
Word7:
     <syn number> = plural
     <sub>conv</sub> forms> = { hoof s , hoove s }.</sub>
```
Of course, as far as DATR is concerned  $\{ \text{hoof } s, \text{hoove } s \}$  is just a sequence of seven atoms. It is up to some component external to DATR which makes use of such complex values to interpret it as a two member set of alternative forms. Likewise, if we have some good reason for wanting to put together the various senses of *cherry* into a value returned by a single path, then we can write something like this:

Cherry:

...

```
\lesem glosses> == { \lesem gloss 1> , \lesem gloss 2> , \lesem gloss 3> }.
which will then provide this theorem:
```
Cherry:

<sem glosses> <sup>=</sup> { sweet red berry with pip , tree bearing sweet red berry with pip , wood from tree bearing sweet red berry with pip }. Also relevant here are the various techniques for reducing lexical disjunction discussed

in Pulman (forthcoming).

#### 4.7 Encoding DAGs

As a feature-based formalism with a syntax modelled on PATR, it would be reasonable to expect that DATR can be used to describe directed acyclic graphs (DAGs) in a PATR-like fashion. Consider an example such as the following:

DAG1:

<vp agr> == <v agr>

<sup>39</sup> See also the dreamt/dreamed verb class discussed by Russell et al. (1992, 330-331).

### $\langle v \rangle$  agr per  $\langle v \rangle$  = = 3

```
<vp agr gen> == masc.
```
This looks like simple reentrancy from which we would expect to be able to infer:

#### DAG<sub>1</sub>:

 $<$ vp agr per $>$  = 3.

And, indeed, this turns out to be valid. But matters are not as simple as the example makes them appear: if DAG1 was really the DAG it purports to be, then we would also expect to be able to infer:

DAG1:

<v agr gen> <sup>=</sup> masc.

But this is not valid, in fact  $\langle \nabla \cdot \$ from this that the equality operator in DATR is very different from the corresponding operator in PATR, but this would be to misunderstand what has happened in this example. In fact, the semantics of the statement

 $DAG1$ :

#### $<$ vp agr> ==  $<$ v agr>.

taken in isolation is very similar to the semantics of the corresponding PATR statement: both assert equality of values associated with the two paths. The DATR statement is slightly weaker in that it allows the left-hand-side to be defined when the right-hand-side is undefined. But, even in DATR, if both sides are defined they must be the same, so, in principle, the value of the left-hand-side does semantically constrain the value of the right-hand-side. However, in a DATR description, specifying explicit values for extensions of the left-hand-side of such an equality constraint overrides its effect, and thus does not in
uence the values on its right-hand-side.

Another difference lies in the fact that DATR subpaths and superpaths can have values of their own:

DAG2:

```
<v agr> == sing
< v agr per> == 3.
```
From this little description we can derive the following statements, inter alia:

DAG2:

```
\langle v \rangle agr> = sing
\langle v \rangle agr num\langle v \rangle = sing
\langle v \rangle agr per > = 3
\langle v \rangle agr per num\rangle = 3.
```
From the perspective of a standard untyped DAG-encoding language like PATR, this is strange. In PATR, if  $\langle v \rangle$  agr per  $>$  has value 3, then neither  $\langle v \rangle$  agr  $>$  nor  $\langle v \rangle$  agr per num > can have (atomic) values.

As these examples clearly show, DATR descriptions do not map **trivially** into (sets of) standard DAGs (although neither are they entirely dissimilar). But that does not mean that DATR descriptions cannot describe standard DAGs. Indeed, there are <sup>a</sup> variety of ways in which this can be done. An especially simple approach is possible when the DAGs one is interested are all built out of <sup>a</sup> set of paths whose identity is known in advance (Kilbury et al. 1991). In this case, we can use DATR paths as DAG paths, more or less directly:

PRONOUN2:

```
\langlereferent> == '\langle \cdot \rangle'NP' referent '>'.
She2:
      \left\langle \right\rangle == PRONOUN2
      <case> == nominative
```
<person> == third <number> == singular.

From this description, we can derive the following theorems:

She2:

```
<case> = nominative
<person> = third
<number> = singular
<referent> = < NP
```
The sequence of atoms on the right

with <sup>a</sup> node/path pair, but at most one of these denes <sup>a</sup> value or global

 $\bar{\mathcal{L}}$ 

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with that inherited from another. Because of this, the handling of multiple inheritance is an issue which is central to the design of any formalism for representing inheritance networks.

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with bit-vectors for speed and compactness. At the other extreme, Duda & Gebhardi (1994) present an interface between a PATR-based parser and a DATR

map strings of atomic phonemes to strings of atomic phones. But it also allows one to encode full-blown feature and syllable-tree based prosodic analyses.

Unlike the formalisms typically proposed by linguists, DATR does not attempt to embody in its design any substantive and restrictive universal claims about the lexicons of natural language. That does not distinguish it from most NLP formalisms, of course. However, we have also sought to ensure that its design does not embody features that

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## APPENDIX: The critical literature on DATR reviewed

Since DATR has been in the public domain for the last half dozen years and been widely used in Europe during that period (by the standards of lexical knowledge representation

Finally, Domenig & ten Hacken contend that lexical inheritance formalisms (and thus DATR) are unusable for the purpose for which they were designed because the humans who have to work with them for lexicon

ever, we agree with their earlier comment \that orthogonal multiple default inheritance is at this stage the best solution for conflicts"  $(p61)$  and can see no computational linguistic  $\rm{m}$ otivation for equipping  $\rm{DATE}$  with a further primitive inheritance mechanism $\rm{53}$ 

Their fourth objection consists of the claim that "it is not possible in DATR to have complex structured objects as values"  $(p64)$ . In one sense this is true since DATR values are simply sequences of atoms. But although true, it does not provide support for <sup>a</sup> sound objection. DATR can construct those sequences of atoms on the basis of a complex recursive description, and the atom sequences themselves can represent complex recursive objects so far as NLP system components outside the lexicon are concerned. The sequences of atoms that DATR provides as values simply constitute an interface for the lexicon that is entirely neutral with respect to the representational requirements of external components. For what is intended to be <sup>a</sup> general purpose lexical knowledge representation language, not tied to any particular conceptions of linguistic structure or NLP formalism, this neutrality seems to us to be a feature, not a bug.

In a fifth objection, they note correctly that the semantics of paths in DATR and PATR is different but then go on to claim that DATR paths "could be better described as atomic attributes" that "do not correspond with a recursive structure" and whose "only function is to support prefix matching" ( $p64$ ). None of these latter claims are true. If DATR paths were atomic attributes then our Section 4.3, above, on finite state

introduction of defaults is meant to eliminate  $\cdot$  .

At the root of Krieger & Nerbonne's (1993) critique of DATR is <sup>a</sup> complaint that it fails to provide all the resources of a modern fully equipped unification grammar the fact that an atom may mean one thing in the semantics of DATR and something quite different in the semantics of a feature formalism will lead to "massive redundancy" ( $p47$ ) in lexical specications (the phrase gets repeated in Bouma & Nerbonne 1994). Again, no argument in support of this conclusion is offered. And we cannot see how semantic overloading of atoms gives rise, of itself, to any kind of redundancy\*\*. Indeed, those who design programming languages normally introduce semantic overloading in order to achieve economy of expression.

Finally, Bouma & Nerbonne (1994) comment that "in spite of Kilgarriff's (1993) interesting work on modelling some derivational relations in the pure inheritance machinery of DATR, we know of no work attempting to model potentially recursive derivational relations, and we remain sceptical about relying on inheritance alone for this". We are not sure what they mean by "the pure inheritance machinery of DATR" or why they think that someone attempting an analysis of recursive derivation in DATR would want to do so using "pure inheritance" alone. Here is a trivial (and linguistically rather pointless) DATR analysis of the more complex of their two examples:

### Word:  $\langle v \rangle$  == " $\langle v \rangle$ "  $\langle a \text{ from } n \rangle = \langle n \rangle + a1$ <v from a> == <a> <sup>+</sup> ize  $\langle n \text{ from } v \rangle = \langle v \rangle + \text{tion}.$ Institute:  $\left\langle \right\rangle$  == Word <root> == institute. From this description we can derive theorems like these: Institute: <root> <sup>=</sup> institute <n from <sup>v</sup> root> <sup>=</sup> institute <sup>+</sup> tion <a from <sup>n</sup> from <sup>v</sup> root> <sup>=</sup> institute <sup>+</sup> tion <sup>+</sup> al  $\forall v$  from a from n from v root $>$  = institute <sup>+</sup> tion <sup>+</sup> al <sup>+</sup> ize  $\langle n \text{ from } v \text{ from a from } n \text{ from } v \text{ root} \rangle =$ institute + tion + al + ize + tion. Note the recursive reintroduction of the tion